# These are sample MCQs to indicate pattern, may or may not appear in examination University of Mumbai Examination 2020 

Program: BE Electronics and Telecommunication Engineering<br>Curriculum Scheme: Revised 2012<br>Examination: Third Year Semester V<br>Course Code: ETC503 and Course Name: Random Signal Analysis

Time: 1hour
Max. Marks: 50

Note to the students:-All the Questions are compulsory and carry equal marks.

| Q1. | MGF (Moment generating function) is defined as |
| :---: | :---: |
| Option A: | E[exp(x)] |
| Option B: | $E[\exp (\mathrm{j})$ ] |
| Option C: | $E[\exp (\mathrm{xt})]$ |
| Option D: | E[exp(jxt)] |
| Q2. | Let $X$ and $Y$ be independent exponential random variables with common parameter $\lambda$. Define $U=X+Y, V=X-Y$. What is the value of determinant of Jacobian matrix |
| Option A: | -1 |
| Option B: | 1 |
| Option C: | 2 |
| Option D: | -2 |
| Q3. | $F x y(-\infty, y)=F x y(x,-\infty)=\ldots . . . . . .($ note where $F x y(x, y)$ is joint $c d f$ of $x$ and $y$ ) |
| Option A: | 0 |
| Option B: | 1 |
| Option C: | -1 |
| Option D: | -Infinity |
|  |  |
| Q4. | Which conditions justify the mutual orthogonality of two random signals $\mathrm{X}(\mathrm{t}) \& \mathrm{Y}(\mathrm{t})$ ? |
| Option A: | RXY , (t1, t2 ) = 0 for every t 1 and t 2 |
| Option B: | RXY, (t1, t2 ) = 1 for every t 1 and t2 |
| Option C: | $\mathrm{RXY}=0,(\mathrm{t} 1, \mathrm{t} 2)=1$ for t 1 and t 2 instants respectively |


| Option D: | RXY $=1$, (t1, t2 ) $=0$ for t1 and t2 instants respectively |
| :--- | :--- |
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| Q5. | Consider the statements given below: A. All SSS (Stationary in Strict Sense) processes <br> are also WSS (Stationary in Wide Sense) B. All the processes that are WSS (Stationary in <br> Wide Sense) are also absolutely SSS (Stationary in Strict Sense) |
| Option A: | Both A \& B are true |
| Option B: | Both A \& B are false |
| Option C: | A is true \& B is false |
| Option D: | A is false \& B is true |
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| Q6. | In poisson distribution mean is |
| Option A: | Greater than variance |
| Option B: | Lesser than variance |
| Option C: | Equal to variance |
| Option D: | Does not depend on variance |
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| Q7. | Power spectral density (PSD) is ----------------function of frequency |
| Option A: | Real |
| Option B: | Imaginary |
| Option C: | Complex |
| Option D: | Neither real nor imaginary |
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| Q8. | Zero-frequency Power spectral density ( PSD) i.e. Sx (0) value equals area under |
| Option A: | Autocorrelation function |
| Option B: | Variance function |
| Option C: | Mean function |
| Option D: | Co-variance function |
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| Q9. | Which theorem states that the larger the sample size, the closer the sample mean will <br> be to the mean of the population? |
| Option A: | Central limit theorem. |
| Option B: | Law of averages. |
| Option C: | Basu's theorem. |
| Option D: | Law of large numbers. |
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| Q10. | According to the central limit theorem, the sampling distribution of the mean can be <br> approximated by the normal distribution: <br> Option A: <br> Option B: <br> Increase The Sample Size To 400 <br> Increase The Sample Size To 200 <br> Option A: <br> Astion The Number Of Samples Gets "Large Enough." <br> Option C: <br> Aption D: <br> As The Size Size Of The Population Standard Deviation Increases. <br> As The Sample Size (Number Of Observations) Gets "Large Enough." |


| Option C: | Increase The Confidence Level |
| :---: | :---: |
| Option D: | Decrease The Sample Size To 50 |
| Q12. | The time between two successive requests arriving, is called |
| Option A: | Inter-arrival time |
| Option B: | Arrival time |
| Option C: | Poisson distribution |
| Option D: | Average residual service time |
| Q13. | One of the most widely used exponential distribution is |
| Option A: | Passion Distribution |
| Option B: | Possible Distribution |
| Option C: | Poisson Distribution |
| Option D: | Poisson Association |
| Q14. | A super market has a single cashier. During the peak hours, customers arrive at a rate of 20 customers per hour. The average no of customers that can be processed by the cashier is 24 per hour. Find The probability that the cashier is idle. |
| Option A: | 1 |
| Option B: | 0.75 |
| Option C: | 0.5 |
| Option D: | 0.167 |
| Q15. | A super market has a single cashier. During the peak hours, customers arrive at a rate of 20 customers per hour. The average no of customers that can be processed by the cashier is 24 per hour. Find The average no of customers in the queue system |
| Option A: | 3 |
| Option B: | 8 |
| Option C: | 5 |
| Option D: | 10 |
| Q16. | If the arrival and departure rates in a public telephone booth with a single phone are $1 / 12$ and $1 / 14$ respectively, find the probability that the phone is busy. |
| Option A: | 0.5 |
| Option B: | 0.33 |
| Option C: | 0.66 |
| Option D: | 1 |
| Q17. | If the inter-arrival time and service time in a public telephone booth with a single-phone follow exponential distributions with means of 10 and 8 minutes respectively, Find the average number of callers in the booth at any time |
| Option A: | 1 |
| Option B: | 2 |
| Option C: | 3 |
| Option D: | 4 |
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| Q18. | The probability density function of a Markov process is |


| Option A: | $p(x 1, x 2, x 3 \ldots \ldots . . x n)=p(x 1) p(x 2 / x 1) p(x 3 / \times 2) \ldots \ldots . . p(x n / x n-1)$ |
| :---: | :---: |
| Option B: | $p(x 1, x 2, x 3 \ldots \ldots . . x n)=p(x 1) p(x 1 / x 2) p(x 2 / x 3) \ldots \ldots . . p(x n-1 / x n)$ |
| Option C: | $p(x 1, x 2, x 3 \ldots \ldots . x n)=p(x 1) p(x 2) p(x 3) \ldots \ldots . . p(x n)$ |
| Option D: | $p(x 1, x 2, x 3 \ldots \ldots . x n)=p(x 1) p(x 2 * x 1) p\left(x 3^{*} \times 2\right) \ldots \ldots . . p(x n * x n-1)$ |
| Q19. | Probability value stands in between |
| Option A: | 0 to infinity |
| Option B: | May be positive |
| Option C: | 0 to 1 |
| Option D: | -Infinity to +infinity |
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| Q20. | What is the probability of getting a sum 9 from two throws of a dice? |
| Option A: | 1/6 |
| Option B: | 1/8 |
| Option C: | 1/9 |
| Option D: | 1/12 |
|  |  |
| Q21. | Let $A$ and $B$ be two events such that $P(A)=1 / 5$ While $P(A$ or $B)=1 / 2$. Let $P(B)=P$. For what values of $P$ are $A$ and $B$ independent? |
| Option A: | $1 / 10$ and $3 / 10$ |
| Option B: | $3 / 10$ and 4/5 |
| Option C: | 3/8 only |
| Option D: | 3/10 |
|  |  |
| Q22. | The random variables $X$ and $Y$ have variances 0.2 and 0.5 respectively. Let $Z=5 X-2 Y$. The variance of $Z$ is? |
| Option A: | 3 |
| Option B: | 4 |
| Option C: | 5 |
| Option D: | 7 |
|  |  |
| Q23. | Previous probabilities in Baye's Theorem that are changed with help of new available information are classified as $\qquad$ |
| Option A: | Independent Probabilities |
| Option B: | Posterior Probabilities |
| Option C: | Interior Probabilities |
| Option D: | Dependent Probabilities |
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| Q24. | $E(X)=\lambda$ is for which distribution? |
| Option A: | Bernoulli's |
| Option B: | Binomial |
| Option C: | Poisson |
| Option D: | Normal |
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| Q25. | $\mathrm{E}(\mathrm{X})=\mu$ and $\mathrm{V}(\mathrm{X})=\sigma^{2}$ is for which distribution? |
| Option A: | Bernoulli's |


| Option B: | Binomial |
| :--- | :--- |
| Option C: | Poisson |
| Option D: | Normal |

