# Program: Computer Engineering <br> Curriculum Scheme: Rev2016 <br> Examination: Second Year Sem - III <br> Course Code: CSC303 and Course Name: Discrete Mathematics 

## Sample Question

For the students:- All the Questions are compulsory and carry equal marks .

| Q1. | What is the Cartesian product of $\mathrm{A}=\{1,2\}$ and $\mathrm{B}=\{\mathrm{a}, \mathrm{b}\} ?$ |
| :---: | :--- |
| Option A: | $\{(1, \mathrm{a}),(1, \mathrm{~b}),(2, \mathrm{a}),(\mathrm{b}, \mathrm{b})\}$ |
| Option B: | $\{(1,1),(2,2),(\mathrm{a}, \mathrm{a}),(\mathrm{b}, \mathrm{b})\}$ |
| Option C: | $\{(1, \mathrm{a}),(2, \mathrm{a}),(1, \mathrm{~b}),(2, \mathrm{~b})\}$ |
| Option D: | $\{(1,1),(\mathrm{a}, \mathrm{a}),(2, \mathrm{a}),(1, \mathrm{~b})\}$ |
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| Q2. | Let the set A is $\{1,2,3\}$ and B is $\{2,3,4\}$. Then the set $\mathrm{A}-\mathrm{B}$ is? |
| Option A: | $\{1,-4\}$ |
| Option B: | $\{1,2,3\}$ |
| Option C: | $\{1\}$ |
| Option D: | $\{2,3\}$ |


| Q3. | Two sets A and B contains a and b elements respectively. If power set of A <br> contains 16 more elements than that of B , value of ' b ' and ' a ' are |
| :---: | :--- |
| Option A: | 4,5 |
| Option B: | 6,7 |
| Option C: | 2,3 |
| Option D: | None of the mentioned |
|  |  |
| Q4. | If set C is $\{1,2,3,4\}$ and $\mathrm{C}-\mathrm{D}=\Phi$ then set D can be |
| Option A: | $\{1,2,4,5\}$ |
| Option B: | $\{1,2,3\}$ |
| Option C: | $\{1,2,3,4,5\}$ |
| Option D: | None of the mentioned |
|  |  |
| Q5. | Which of the following function $\mathrm{f}: \mathrm{Z} \mathrm{X} \mathrm{Z} \rightarrow \mathrm{Z}$ is not onto? |
| Option A: | $\mathrm{f}(\mathrm{a}, \mathrm{b})=\mathrm{a}+\mathrm{b}$ |
| Option B: | $\mathrm{f}(\mathrm{a}, \mathrm{b})=\mathrm{a}$ |
| Option C: | $\mathrm{f}(\mathrm{a}, \mathrm{b})=\|\mathrm{b}\|$ |
| Option D: | $\mathrm{f}(\mathrm{a}, \mathrm{b})=\mathrm{a}-\mathrm{b}$ |
|  |  |
| Q6. | Let f and g be the function from the set of integers to itself, defined by $\mathrm{f}(\mathrm{x})=$ <br> $2 \mathrm{x}+1$ and $\mathrm{g}(\mathrm{x})=3 \mathrm{x}+4$. Then the composition of f and g is <br> Option A: <br> $6 \mathrm{x}+9$ <br> Option B: <br> Option C: <br> $6 \mathrm{x}+7$ <br> $\mathrm{xx}+6$ |


| Option D: | $6 \mathrm{x}+8$ |
| :---: | :--- |
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| Q7. | How many binary relations are there on a set S with 9 distinct elements? |
| Option A: | $2^{90}$ |
| Option B: | $2^{100}$ |
| Option C: | $2^{81}$ |
| Option D: | $2^{60}$ |
|  |  |
| Q8. | The transitive closure of the relation $\{(0,1),(1,2),(2,2),(3,4),(5,3),(5,4)\}$ on <br> the set $\{1,2,3,4,5\}$ is |
| Option A: | $\{(0,1),(1,2),(2,2),(3,4)\}$ |
| Option B: | $\{(0,0),(1,1),(2,2),(3,3),(4,4),(5,5)\}$ |
| Option C: | $\{(0,1),(1,1),(2,2),(5,3),(5,4)\}$ |
| Option D: | $\{(0,1),(0,2),(1,2),(2,2),(3,4),(5,3),(5,4)\}$ |
|  |  |
| Q9. | Let $\mathrm{R}_{1}$ and $\mathrm{R}_{2}$ be two equivalence relations on a set. Is $\mathrm{R}_{1} \cup \mathrm{R}_{2}$ an equivalence <br> relation? |
| Option A: | an equivalence relation |
| Option B: | reflexive closure of relation |
| Option C: | not an equivalence relation |
| Option D: | partial equivalence relation |
|  |  |
| Q10. | Let a set $\mathrm{S}=\{2,4,8,16,32\}$ and $<=$ be the partial order defined by $\mathrm{S}<=\mathrm{R}$ if <br> a divides b. Number of edges in the Hasse diagram of is <br> Option A: <br> Option B: <br> Option C: <br> Option D: |


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| :---: | :--- |
| Q11. | Suppose $X=\{\mathrm{a}, \mathrm{b}, \mathrm{c}, \mathrm{d}\}$ and $\pi_{1}$ is the partition of $\mathrm{X}, \pi_{1}=\{\{\mathrm{a}, \mathrm{b}, \mathrm{c}\}, \mathrm{d}\}$. The <br> number of ordered pairs of the equivalence relations induced by |
| Option A: | 15 |
| Option B: | 10 |
| Option C: | 34 |
| Option D: | 5 |
|  |  |
| Q12. | The relation $\leq$ is a partial order if it is |
| Option A: | reflexive, antisymmetric and transitive |
| Option B: | reflexive, symmetric |
| Option C: | asymmetric, transitive |
| Option D: | irreflexive and transitive |
|  |  |
| Q13. | A directed graph or digraph can have directed cycle in which |
| Option A: | starting node and ending node are different |


| Option B: | starting node and ending node are same |
| :--- | :--- |
| Option C: | minimum four vertices can be there |


| Option D: | ending node does not exist |
| :---: | :--- |
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| Q14. | What is a complete digraph? |
| Option A: | connection of nodes without containing any cycle |
| Option B: | connecting nodes to make at least three complete cycles |
| Option C: | start node and end node in a graph are same having a cycle |
| Option D: | connection of every node with every other node including itself in a digraph |
|  |  |
| Q15. | G is an undirected graph with n vertices and 26 edges such that each vertex of <br> G has a degree at least 4. Then the maximum possible value of n is |
| Option A: | 7 |
| Option B: | 43 |
| Option C: | 13 |
| Option D: | 10 |
|  |  |
| Q16. | A Poset in which every pair of elements has both a least upper bound and a <br> greatest lower bound is termed as <br> Option A: |
| sublattice |  |
| Option B: | lattice |
| Option D: | trail |
|  | walk |
| Q17. | The maximum number of edges in a bipartite graph on 14 vertices is |
| Option A: | 56 |
| Option B: | 14 |
| Option C: | 49 |
| Option D: | 87 |
|  | Q18. |
| Option A: | Which of the following relations is the reflexive relation over the set $\{1,2,3$, <br> $4\} ?$ |
| Option B: | $\{(1,1),(2,2),(2,3)\}$ |


| Option C: | $\{,(1,1),(1,2),(2,1),(2,3),(3,4)$ |
| :---: | :---: |
| Option D: | $\{(0,1),(1,1),(2,3),(2,2),(3,4),(3,1)$ |
| Q19. | For $\mathrm{a}, \mathrm{b} \in \mathrm{Z}$ define $\mathrm{a} \mid \mathrm{b}$ to mean that a divides b is a relation which does not satisfy $\qquad$ |
| Option A: | irreflexive and symmetric relation |
| Option B: | reflexive relation and symmetric relation |
| Option C: | transitive relation |
| Option D: | symmetric relation |
| Q20. | Let P and Q be statements, then $\mathrm{P}<->\mathrm{Q}$ is logically equivalent to |
| Option A: | $\mathrm{P}<->\sim \mathrm{Q}$ |
| Option B: | $\sim \mathrm{P}<->\mathrm{Q}$ |
| Option C: | $\sim \mathrm{P}<->\sim \mathrm{Q}$ |
| Option D: | None of the mentioned |
| Q21. | Let P, Q, R be true, false true, respectively, which of the following is true? |
| Option A: | $\mathrm{P} \wedge \mathrm{Q} \wedge \mathrm{R}$ |
| Option B: | $\mathrm{P} \wedge \sim \mathrm{Q} \wedge \sim \mathrm{R}$ |
| Option C: | Q->(P^R) |
| Option D: | $\mathrm{P}->(\mathrm{Q} \wedge \mathrm{R})$ |
| Q22. | The statement ( $\sim \mathrm{P}<->\mathrm{Q}$ ) $\wedge \sim \mathrm{Q}$ is true |
| Option A: | P: True Q: False |
| Option B: | P: True Q: True |
| Option C: | P: False Q: True |
| Option D: | P: False Q: False |
| Q23. | Which of the following is De-Morgan's law? |
| Option A: | $\mathrm{P} \wedge(\mathrm{Q} \vee \mathrm{R}) \Xi(\mathrm{P} \wedge \mathrm{Q}) \mathrm{v}(\mathrm{P} \wedge \mathrm{R})$ |
| Option B: | $\sim(\mathrm{P} \wedge \mathrm{R}) \Xi \sim \mathrm{P} \vee \sim \mathrm{R}, \sim(\mathrm{P} \vee \mathrm{R}) \Xi \sim \mathrm{P} \wedge \sim \mathrm{R}$ |
| Option C: | $\mathrm{P} \vee \sim \mathrm{P} \Xi$ True, $\mathrm{P} \wedge \sim \mathrm{P} \Xi$ False |
| Option D: | None of the mentioned |
|  |  |
| Q24. | Which of the following satisfies commutative law? |
| Option A: | $\wedge$ |
| Option B: | v |
| Option C: | $\leftrightarrow$ |
| Option D: | All of the mentioned |


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| :---: | :--- |
| Q25. | If P is always against the testimony of Q, then the compound statement $\mathrm{P} \rightarrow(\mathrm{P}$ <br> $\mathrm{v} \sim \mathrm{Q})$ is a |
| Option A: | Tautology |
| Option B: | Contradiction |
| Option C: | Contingency |
| Option D: | None of the mentioned |

